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Fixed Point Dual Carrier Modulation Performance for Wireless USB

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Abstract — Dual Carrier Modulation (DCM) is currently used as the higher data rate modulation scheme for Multiband Orthogonal Frequency Division Multiplexing (MB-OFDM) in the ECMA-368 defined Ultra-Wideband (UWB) radio platform. ECMA-368 has been chosen as the physical radio platform for many systems including Wireless USB (W-USB), Bluetooth 3.0 and Wireless HDMI; hence ECMA-368 is an important issue to consumer electronics and the user’s experience of these products.

In this paper, Log Likelihood Ratio (LLR) demapping method is used for the DCM demaper implemented in fixed point model. Channel State Information (CSI) aided scheme coupled with the band hopping information is used as the further technique to improve the DCM demapping performance. The receiver performance for the fixed point DCM is simulated in realistic multi-path environments.

Index Terms — MB-OFDM, DCM, CSI, LLR

I. INTRODUCTION

Ultra-Wideband (UWB) technology was historically employed in military radar systems. Recently UWB systems were proposed to standardize wide bandwidth wireless communication systems, particularly for Wireless Personal Area Networks (WPAN). The fundamental issue of UWB is that the transmitted signal can be spread over an extremely large bandwidth with a very low Power Spectral Density (PSD). In 2002, the USA Federal Communications Commission (FCC) agreed to allocate 7500 MHz spectrum in 3.1–10.6 GHz band for unlicensed use for UWB devices [1] and limited the UWB Effective Isotropic Radiated Power (EIRP) to -41.3 dBm/MHz [2].

In 2005 the WiMedia Alliance [3] working with the European Computer Manufacturers Association (ECMA) announced the establishment of the WiMedia MB-OFDM (Multiband Orthogonal Frequency Division Multiplexing) UWB radio platform as their global UWB standard, ECMA-368. ECMA-368 was also chosen as physical layer (PHY) of high data rate wireless specifications for high-speed Wireless USB (W-USB) [4], Bluetooth 3.0 [5] and Wireless High-Definition Media Interface (HDMI) [6]. Recently ECMA-368 has published a second updated version [7].

ECMA-368 specifies a MB-OFDM system occupying 14 bands. Each band with a bandwidth of 528 MHz can support up to 480 Mb/s. The first 12 bands are grouped into 4 band groups (BG1-BG4), and the last two bands are grouped into a fifth band group (BG5). A sixth band group (BG6) containing band 9, 10 and 11 is also defined within the spectrum of BG3 and BG4, in agreement to use within worldwide spectrum regulations. The advantage of the grouping is that the transmitter and receiver can process a smaller bandwidth signal while taking advantages from frequency hopping.

The OFDM symbol is the basic quanta of MB-OFDM based UWB radio. Each OFDM symbol is constructed from the Inverse Fast Fourier Transform (IFFT) of a set of 128 complex valued carriers made from 100 data carriers, 12 pilot subcarriers, 6 NULL valued subcarriers and 10 guard subcarriers. The 10 guard subcarriers used for mitigating Inter Symbol Interference (ISI) are located on either edge of the OFDM symbol and they are the same value as the 5 outermost data subcarriers. In addition, the guard subcarriers can be used as another form of time and frequency diversity resulting in improved performance for the receiver [8]. Each OFDM symbol is appended with zero-padded suffix to aid multipath interference mitigation and settling times of the transmitter and receiver.

To operate the Physical layer (PHY) service interface to the Medium Access Control (MAC) service, a Physical Layer Convergence Protocol (PLCP) sublayer is defined to provide a method for converting a PSDU (PHY Service Data Unit) into a PPDU (PLCP Packet Data Unit) composed from three components (shown in Fig. 1): the PLCP preamble (containing the Packet/Frame Synchronization and the Channel Estimation sequence), the PLCP header, and the PSDU.

To transmit a Packet Service Data Unit (PSDU) that contains information bits, ECMA-368 has eight transmission modes by applying various levels of coding and diversity, which offers 53.3, 80, 106.7, 160, 200, 320, 400 or 480 Mb/s to the MAC layer. After the bit interleaver, the coded and interleaved binary data sequence is mapped onto a complex constellation. A Quadrature Phase Shift Keying (QPSK) constellation is used for data rates 200 Mb/s and lower. Dual Carrier Modulation (DCM) is used as a four-dimensional constellation for data rates 320 Mb/s and higher. DCM was introduced to the MB-OFDM proposal by Batra and Balakrishnan [9] as one of the enhancement changes to create the current WiMedia Alliance standard.

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The resulting complex numbers are loaded onto the data subcarriers of the OFDM symbol implemented using an IFFT to create real or complex baseband signal. Fig. 2 and 3 depict the encoding and decoding process for the scrambled PSDU respectively. Chapter II introduces DCM mapping process. Chapter III discusses the DCM demapper using Log Likelihood Ratio (LLR) demapping method and Channel State Information (CSI) aided scheme for the further demapping technique. Chapter VI discusses the performance measurements and comparison while chapter VII presents the conclusions.

II. DCM MAPPING

A. Frequency diversity

Coded information on a single tone is unreliable if a channel has deep fade. However, the probability of experiencing a channel deep fade is extremely small if two tones with the same information are separated by a large bandwidth. Frequency diversity is used in the DCM by mapping the same coded information but different forms onto two different tones at different channel frequencies with a large bandwidth separation.

B. DCM constellation mapping

After bit interleaving, the 1200 interleaved and coded bits are divided into groups of 200 bits, and further grouped into 50 groups of 4 reordering bits. Each group of 4 bits is represented as \( b_{g(k)}, b_{g(k)+1}, b_{g(k)+50}, b_{g(k)+51} \), where \( k \in [0 \ldots 49] \)

\[
g(k) = \begin{cases} 2k & k \in [0 \ldots 24] \\ 2k + 50 & k \in [25 \ldots 49] \end{cases}
\] (1)

These four bits are mapped to two QPSK symbols \( x_{g(k)} + jx_{g(k)+50} \), \( x_{g(k)+1} + jx_{g(k)+51} \) as illustrated in (2).

Then the DCM mapper uses a DCM matrix \( H \) as in (3) to execute mapping of the two QPSK symbols into two DCM symbols \( (y_{T(k)} \ y_{T(k)+50}) \) as illustrated in (4). The resulting DCM symbols are formed into two 16-QAM like constellations [7].

\[
H = \begin{bmatrix} 2 & 1 \\ 1 & -2 \end{bmatrix}
\] (3)

\[
\begin{bmatrix} y_{T(k)} \\ y_{T(k)+50} \end{bmatrix} = \frac{1}{\sqrt{10}} \begin{bmatrix} 2 & 1 \\ -2 & 2 \end{bmatrix} \begin{bmatrix} x_{g(k)} + jx_{g(k)+50} \\ x_{g(k)+1} + jx_{g(k)+51} \end{bmatrix}
\] (4)

where \( 1/\sqrt{10} \) is a normalization factor for normalizing the average symbol power to be a constant unit.

The two resulting DCM symbols \( (y_{T(k)} \ y_{T(k)+50}) \) are allocated into two individual OFDM data subcarriers with 50 sub-carriers separation to achieve frequency diversity. In total 100 DCM symbols (complex numbers) are given to the 128pt IFFT block for building an OFDM symbol. Each OFDM subcarriers occupies a bandwidth of about 4 MHz. Therefore the bandwidth between the two individual OFDM data subcarriers related to the two complex numbers \( (1_{T(k)} \ Q_{T(k)}) \) and \( (1_{T(k)+50} \ Q_{T(k)+50}) \) is at least 200 MHz, which offers good frequency diversity gain against channel deep fading. Fig. 4 depicts the DCM mapping process.

III. DCM DEMAPPING

A. Log likelihood ratio demapping

The receiver converts each time-domain OFDM symbol into the frequency-domain via the Fast Fourier Transform (FFT). Then Channel Estimation and symbol Equalization follows. To demap the DCM symbols at the receiver, the received and equalized symbols previously transmitted on different sub-carriers can be demapped by using Log
Likelihood Ratio (LLR). The DCM demapper uses two separate subcarriers concurrently to decode the symbol pair. If one symbol within one subcarrier is lost or degraded, it can be detected, even recovered by the DCM demapper. The proposed DCM soft demapping employs the DCM mixing matrix to combine the two equalized complex numbers into a sub-group of 4 soft bits. It is required to repeatedly execute demapping of the two received DCM symbols to output groups of 200 soft-bits. The soft bits from the DCM demapper are then inputted to the bit deinterleaver, the soft-bit Viterbi decoder and then descrambled to recover the PSDU. The generic format of LLR equation can be expressed in the following.

\[
LLR = \log(\exp(A) + \exp(B)) - \log(\exp(X) + \exp(Y))
\]

(5)

In our case, a LLR is calculated from the received DCM symbols \(y_{R,k}(t)\) and \(y_{I,k}(t)\). In addition, the LLR functions related to the two 16-QAM like constellations are independent. Hence the LLR for a group of 4 bits \((b_{k,13}, b_{k,14}, b_{k,15}, b_{k,16})\) is formed from combining the two independent LLR, as in (6), (7), (8) and (9). \(\sigma^2\) is noise variance associated with the channel.

\[
LLR(b_{k,13}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right)
\]

(6)

\[
LLR(b_{k,14}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(7)

\[
LLR(b_{k,15}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(8)

\[
LLR(b_{k,16}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(9)

For a Gaussian channel, the LLR can be approximated as two piecewise-linear functions which depend on the amplitude of I/Q signals [10], [11]. Furthermore, the maximum LLR value can be approximated to be soft magnitude with the associated bit completely depending on the amplitude of the I/Q signals. In our case, there are two bits associated with each of the two 16-QAM like constellations completely relying on their soft magnitude of the I/Q. Hence the LLR functions related to these two bits from each constellation are considered to be partially linear. Therefore some terms of these LLR functions are approximated by the proposed soft magnitude, as in (10), (11), (12) and (13).

\[
LLR(b_{k,13}) = 3|I_{k,n}| + \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|I_{k,n} - I_{k,n,0}|^2}{\sigma^2} \right)
\]

(10)

\[
LLR(b_{k,14}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(11)

\[
LLR(b_{k,15}) = 3|Q_{k,n}| + \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(12)

\[
LLR(b_{k,16}) = \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right) - \log \left( \sum_{\nu \in \mathbb{N}} \frac{|Q_{k,n} - Q_{k,n,0}|^2}{\sigma^2} \right)
\]

(13)

B. Enhancement by exploiting Channel State Information

In OFDM modulation, the OFDM subcarriers suffer from different noise powers, for example, echoes, deep fades, etc. Each OFDM subcarrier position has a dynamic estimation for the data reliability. This dynamic estimation in frequency-domain is defined as Channel State Information (CSI), which is used to enhance the channel decoder’s error correction performance [12] [13]. Each data carrier has a potentially different CSI based on the power of the channel estimate at the corresponding frequency. The more reliable CSI is applied to the associated data subcarrier, the better decoding performance can be. The proposed CSI aided scheme coupled with the band hopping information maximizes the soft demapping performance [14] [15]. The resulting CSI is a scalar term indicative of the power of each frequency component of the sequences. The soft bits for the demodulator are scaled by the corresponding CSI, hence more reliable data for better decoding and achieve better system performance. As a result, each soft bit with incorporated CSI is derived as the following.

\[
Soft(b_{k,n}) = LLR(b_{k,n}) \ast \min\{|CSI_k, CSI_{k,n}|\}
\]

(14)

\[
Soft(b_{k,n+1}) = LLR(b_{k,n+1}) \ast \min\{|CSI_k, CSI_{k,n+1}|\}
\]

(15)

\[
Soft(b_{k,n+2}) = LLR(b_{k,n+2}) \ast \min\{|CSI_k, CSI_{k,n+2}|\}
\]

(16)

\[
Soft(b_{k,n+3}) = LLR(b_{k,n+3}) \ast \min\{|CSI_k, CSI_{k,n+3}|\}
\]

(17)
IV. SYSTEM PERFORMANCE MEASUREMENTS

The system is simulated in a realistic multipath channel environment of 100 channel realizations in Foerster’s Channel Model 1 (CM1) [16] with conformance test requirement in ECMA-368. All simulations results are averaged over 2000 packets with 1024 octets per payload in the PSDU and 90th-percentile channel realization (the worst 10% channels are discarded). The link success probability is defined as system can be achieved with a Packet Error Rate (PER) less than 8% [17]. We maintain strict adherence to timing and use a hopping characteristic of Time Frequency Code (TFC) =1, and incorporate a Noise Figure (NF) of 6.6 dB and 2.5 dB implementation loss to the system model [7]. The simulation was performed with the use of guard pilot diversity resulting.

V. CONCLUSION

ECMA-368 offers a robust wireless solution and low cost wireless service in high speed WPAN. This paper presents DCM mapping and demapping processes for ECMA-368. Meanwhile, the fixed point DCM with 6 bits is found to maintain system performance with using the floating point DCM, which achieves a successful link of 3.9 meters at 480 Mb/s in realistic multipath channel environment.

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[all Accessed 30th March 2009]