The Binding Site Distance Test Score: A robust method for the assessment of predicted protein binding sites

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1 INTRODUCTION

The prediction of a protein’s ligand binding site location and potential interacting residues is important in the elucidation of protein function, de novo drug design, mutagenesis studies and ligand binding specificity (Lopez, et al., 2009; Sankararaman, et al., 2010). The CASP experiment included a function prediction category for the first time in CASP6 (Soro and Tramontano, 2005), where the aim was to predict the Enzyme Commission number (EC) and Gene Ontology (GO) terms. Due to the difficulty in assessing these terms, the CASP7 (Lopez, et al., 2007) assessors decided that CASP was not the best place for this \textit{format of function prediction}. Thus, for CASP8, function prediction was included in a different format, with the assessment of observed ligand binding site residues, as many CASP targets were shown to crystallize with biologically interesting ligands (Lopez, et al., 2009).

In CASP8, function predictions were assessed using the Matthews correlation coefficient (MCC) (Matthews, 1975). The MCC is a statistical metric that utilizes the number of true positive, false positive, false negative and true negative residues, giving a score between 1 and -1. A score of 1 indicates a perfect prediction and a score close to 0 indicates a random prediction. The MCC provides a good assessment statistic, because it heavily penalizes both over and under predictions and is appropriate for biased data sets, such as binding versus non-binding residues (Lopez, et al., 2009).

In order to assess binding residue prediction accuracy, the observed binding site residues must be defined. However, defining which residues are in contact with a ligand can often be subjective, particularly if we consider the inherent flexibility of protein backbones, side chains and many large ligands. The distances used to define residue-ligand contacts can be adjusted, nevertheless, once a cut-off has been set all “non-binding” residues are treated as incorrect by the MCC score, regardless of their distance from the site.

The top methods in the function prediction category of CASP8 were methods by the Lee group (Oh, et al., 2009) and the Sternberg group (Wass and Sternberg, 2009). Both groups assessed their own predictions by two additional metrics: accuracy and coverage. However, these metrics also penalize close predictions to a similar extent as the MCC statistic (Oh, et al., 2009; Wass and Sternberg, 2009).

In this paper we are proposing a simple new metric, the Binding-site Distance Test (BDT) score, which addresses the problems associated with the MCC whilst maintaining the advantages. The score is highly correlated with the MCC, it appropriately penalizes both under and over predictions, whilst also considering the distance of predicted residues from the observed binding site.

2 METHODS

The BDT score was calculated by considering: the list of residue numbers in the protein predicted to be binding to a ligand, the list of residue numbers observed to be binding to a ligand, the PDB file of the observed structure (with residue numbering matching that of the sequence) and a distance threshold.

The Euclidean distance was calculated between each residue in the predicted set and each residue in the observed set. The distance was then converted to an $S$-score using the standard equation:
Fig 1. Ribbon diagram of CASP8 target T0453. Hypothetical predicted residues are shown as grey sticks and the observed binding residues (76,77,78,83) are shown as black sticks. For the first prediction on the left (32,33,34,35) the MCC score is -0.046 and the BDT score is 0.017 (with $d_o=3$). For the second prediction on the right (75,79,82,84), again the MCC score is -0.046, however the BDT score is 0.384 (with $d_o=3$).

$$S_{ij} = \frac{1}{1 + \left(\frac{d_{ij}}{t_i}\right)^2}$$

Where: $S_{ij}$ was the S-score between a predicted residue $i$ and an observed residue $j$, $d_{ij}$ was the Euclidean distance between the C-alpha coordinates of residues $i$ and $j$ and $d_o$ was a distance threshold (values between 1 and 3Å are recommended, see Table 1). The maximum $S_i$ score, $\max(S_i)$, was then determined for each predicted residue. The final BDT score was simply the sum of the maximum $S_i$ scores normalized by the greater value of the number of predicted residues ($N_p$) and the number of observed residues ($N_o$):

$$BDT = \frac{\sum_{i=1}^{N_p} \max(S_i)}{\max(N_p,N_o)}$$

3 RESULTS AND DISCUSSION

A potential problem with relying on the MCC is illustrated in Figure 1, where two hypothetical binding site predictions are shown for CASP8 target T0453. The prediction on the right hand side of the figure (75,79,82,84) is closer to the observed binding site than the prediction shown on the left hand side of the image (32,33,34,35), however both predictions are assigned identical MCC scores (-0.046). Conversely using the BDT score with $d_o=3$, the prediction close to the site on the right is assigned a higher score (0.384) compared with that of the more distant prediction on the left (0.017). Using the MCC, all “non-binding” residues in a prediction are considered equal, no matter how close they are to the actual site. Thus, small changes to the list of observed binding site residues can greatly affect the MCC score of close predictions. Further examples using real CASP8 predictions are shown in Supplementary Figure 2.

The BDT score ranges between 0 and 1, where perfect predictions achieve scores of 1 and distant predictions are assigned scores closer to 0. If we consider the flexibility of both ligands and proteins as well as the possibility of alternative ligands binding to the same site, the BDT score is a more appropriate score than the MCC. The BDT score takes into account the actual structure and distances between predicted and observed binding residues. Residues deemed false positives that are nevertheless close to the binding site score higher than distant predictions using the BDT score.

The distance threshold $d_o$ in the $S_i$ score alters the range of BDT scores; however BDT scores with different cut-offs are highly correlated with conserved ranking. The BDT scoring method maintains the penalty for over and under predictions, using the normalisation $\max(N_p,N_o)$, it is appropriate for biased data sets and the scores are highly correlated with the MCC scores (Table 1, Supplementary Table 1), even though the metrics are conceptually different. There is an approximately linear dependence between the BDT scores at each cutoff and the MCC scores, however the Spearman’s $p$ and Kendall’s $\tau$ also show that the ranking of predictions is also maintained. The value for $d_o$ may be adjusted to vary the stringency of the score (Table 1). Outliers in plots of MCC scores versus BDT scores (Supplementary Figure 1) are illustrated by the example in Figure 1.

Finally, the BDT score is relatively easy to calculate and because the actual PDB file is required for calculation there is no ambiguity concerning missing residues (i.e. disordered regions) (for this paper all missing residues were also excluded from the calculation of MCC scores). Furthermore, the BDT score minimizes the penalty for ambiguous predicted residues that might be considered to be in the active site, or are considered to be in contact with an alternative ligand, but are nevertheless excluded from the observed subset (Supplementary Figure 2B).

Table 1. Correlations coefficients for BDT scores versus MCC scores using the CASP8 data for binding site predictions. Results for all predictions and all targets have been pooled. The BDT score has been calculated using different values for $d_o$, the optimal values are from 1-3 Å.

<table>
<thead>
<tr>
<th>$d_o$ value (Å)</th>
<th>Pearson’s $r$</th>
<th>Spearman’s $p$</th>
<th>Kendall’s $\tau$</th>
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<tr>
<td>1.0</td>
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<td>0.764</td>
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<tr>
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<td>0.810</td>
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<tr>
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REFERENCES