

# The Cinderella discipline: morphometrics and their use in botanical classification

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## 1 REVIEW

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17	

## **ABSTRACT**

20	Between the 1960s and the present day, the use of morphology in plant taxonomy
21	suffered a major decline, in part driven by the apparent superiority of DNA-based
22	approaches to data generation. However, in recent years computer image
23	recognition has re-kindled the interest in morphological techniques. Linear or geometric
24	morphometric approaches have been employed to distinguish and classify a wide
25	variety of organisms; each has strengths and weaknesses. Here we review these
26	approaches with a focus on plant classification and present a case for the
27	combination of morphometrics with statistical/machine learning. There is a large
28	collection of classification techniques available for biological analysis and selecting the
29	most appropriate one is not trivial. Performance should be evaluated using
30	standardised metrics such as accuracy, sensitivity, and specificity. The gathering and
31	storage of high-resolution images, combined with the processing power of desktop
32	computers, makes morphometric approaches practical as a time- and cost-efficient
33	way of non-destructive identification of plant samples.
34	
35	Keywords: Plant taxonomy, geometric morphometrics, linear morphometrics, statistical
36	learning, machine learning, identification, classification, neural networks.

38 In his keynote address during the 50<sup>th</sup> anniversary of botany MSc training at the 39 University of Reading, Prof Vernon Heywood described a steady decline in the state of 40 botany teaching in the UK with a resulting loss of skills in the next generation of scientists. 41 With few institutions in the country offering training for young botanists, more and more 42 researchers enter plant taxonomy through the field of molecular systematics, never 43 learning the classic skills of a traditional botanist. Although great progress has been 44 made in the development of molecular tools, increasing the insight gained from 45 laboratory methods, what used to be the beating heart of botany - morphology - has 46 lost some of its appeal. In our view this is because morphological data coding cannot 47 readily be made into a clear data generation pipeline in the same way as much 48 molecular data can. We believe this to be because morphology requires more in-49 depth knowledge and understanding of the organism prior to data collection than is 50 required for DNA sequencing and that morphological variation is open-ended rather 51 than with a fixed range of states as in DNA data. Whilst morphological data have lost 52 favour in the construction of plant classification systems they have gained popularity in 53 the study of evolution from variation in gross morphology of the centropogonid clade 54 (Lobelioideae: Campanulaceae) (Lagomarsino et al., 2017), speciation despite 55 consistent floral morphology in Myrcia DC. (Vasconcelos et al., 2019) though to 56 detailed morphometric analysis of traits related to environment in Vriesea Lindl. 57 bromeliads (Neves et al., 2020).

58

The power of some of the more modern developments in morphometrics and statistical learning however can provide botanists with an extra toolbox to help them describe and quantify the variation that surrounds them. In this review we aim to make a case for the value of morphometrics, especially in combination with more sophisticated statistical methods, in a botanist's analytical toolbox - not to replace molecular techniques but to add to them. Morphology is often one of the most directly accessible and intuitive data sources for taxonomic research. In botanical taxonomy,

66 morphological characterization is the foundation of taxon description and 67 identification, albeit often found in the formal and stylised format present in Floras and 68 monographs. There is an opportunity for modern botanical taxonomy to explore the 69 rapidly advancing field of morphometrics which already has some notable examples 70 ranging from automatic leaf outline identification of Passiflora L. species (De Oliveira 71 Plotze & Martinez Bruno, 2009), the tooth margin algorithm for Tilia L. leaf identification 72 (Corney et al., 2012), and the use of leaf venation architecture for major angiosperm 73 clade recognition (Wilf et al., 2016). Some computerised systems, starting with an 74 existing classification of taxa, can use machine learning to handle the routine 75 identification work, and then refer intransigent problems to a human expert (Clark, 76 Corney, & Wilkin, 2017).

77

78 One of the principal arguments presented against morphological data is the potential 79 for high levels of ambiguity. This ambiguity can be caused by a variety of factors such 80 as inaccurate character definition (Assis, 2009) and difficulty in establishing homology 81 (Schneider, Smith, & Pryer, 2009). Morphological data collection can be further 82 complicated by plasticity of features (Perkins, Martinsen, & Falk, 2011), homoplasy 83 (Schneider et al., 2009), low numbers of characters (Giribet, 2010), and missing 84 character states (Jenner, 2004). In some organisms such as parasites, reduced body 85 plans can make characterisation of features even more difficult and lead to a very 86 limited dataset (Perkins et al., 2011). These concerns are neither exaggerated nor trivial 87 and many are thoroughly discussed in the morphological literature. They do not, 88 however, necessarily imply a lower quality of data produced by morphological work in 89 comparison with other data sources (Jenner, 2004). 90

As most botanical researchers are question-driven rather than method-driven, we have
structured our recommendations using general outlines on what kind of questions each
combination of morphological and statistical tools can answer, with the aim of

94 promoting more thorough morphological investigation in botanical research. We have 95 split this into two sections - Developmental hypotheses and Classification hypotheses. 96 Under Developmental hypotheses we include all studies that may require the 97 description of shape or size of a plant either to compare between treatments or to 98 study how characters change along a particular gradient. For these we give an outline 99 of morphometric tools available. Under Classification hypotheses we include all studies 100 where the researcher is asking questions of taxon membership (e.g. are these two 101 groups in the same taxon?) or questions of identification (e.g. what is the minimum set 102 of diagnostics to accurately identify a sample?). These also require morphometric tools, 103 such as those described under the developmental hypotheses, but can be taken 104 further by combining them with machine learning techniques. There is a difference in 105 terminology between the use of the word classification in biology and in computer 106 science. Although the term is clearly defined in a taxonomic setting as the formal 107 structure in which taxa are placed, in machine learning it means something much 108 more general: it is the attribution of objects to a particular group. This is why 109 identification in the machine learning context falls under classification, and therefore is 110 included here under Classification hypotheses.

#### **DEVELOPMENTAL HYPOTHESES**

Plant growth and development studies already rely heavily on morphological measurements - size for example is often included as a proxy to an organism's developmental stage. These studies often focus on examining how the organism changes as it progresses through the various life stages. These could range from progression from seed to flower for an annual, or even development of fruit on a tree during the growing season.

118

119 Even though it is very commonly used, size itself is a complex and often unappreciated 120 concept. Often researchers fail to explore the separation between shape and size, 121 confounding the two and losing some of the clarity that can be obtained through their 122 investigation. For Developmental hypotheses, we argue that the crucial point for insight 123 is not the separation of size and shape just for the sake of it - it is for the researcher to 124 either knowingly combine them or distinguish between the two based on the 125 hypothesis in question. We believe that by cautiously selecting measurements that do 126 not distinguish shape from size, a researcher can gain insight on changes in either size 127 or shape during a developmental process based on how they use them. For example, 128 the length of apple fruit through the growing season, plotted against time from anthesis 129 can give insight on how size develops as time progresses (Atay, Pirlak, & Atay, 2010). 130 The ratio between length and width for the same fruit provides an indication of the 131 development of shape (Bollard, 1970). Both length and width independently are size 132 metrics, but in combination they describe shape.

133

134 In the context of describing morphology, there are two mainstream methods: linear

135 and geometric morphometrics. An essential distinction between them is that linear

136 morphometrics do not actively separate size from shape, whereas geometric

137 morphometrics do. We have structured the remainder of this section to describe these

138 two techniques and have illustrated them using biological examples.

139

140 The traditional approach to morphometrics involves the measurement of distances 141 between points deemed to be characteristic of shape and form. Measurements such 142 as height, length, width, and diameter all fall under the general categorisation of linear 143 morphometrics. These measurements are intuitive, easy to understand and to interpret, 144 and have been in the biological toolbox for as long as the toolbox itself has existed. 145 Linear morphometrics are quick to collect, low cost, easy to interpret, and often 146 sufficient for biological description. Sanchez et al. (2011) compared the growth 147 development of baobab seedlings of different origins using a variety of morphometric 148 measurements, such as length and diameter of roots, to establish that plants originating 149 from drier environments grew to a smaller size even under optimal greenhouse 150 conditions. Richardson et al. (2011) the studied fruit development patterns of kiwi from 151 anthesis to ripening using amongst other character a collection of linear 152 morphometrics, such as pericarp diameter. Zhang et al. (2015) performed a 153 comparative study of the developmental patterns of Sweet cherry floral parts, using 154 linear measurements such as pedicel length, establishing a correlation between floral 155 morphology and environmental conditions during growth such as temperature. 156 157 For morphometric studies that require the description of very subtle shape characters, 158 linear morphometrics may not be the most appropriate tool. The reason for this is 159 because distance measurements, although excellent for summarising shape and size descriptions, often lack context. To correct for this, more linear measurements can be 160 161 collected, creating a more complete dataset for each object. When the shape of 162 interest is of biological form, it becomes crucial to be able to establish and quantify 163 even the subtlest of differences. To be able to achieve this through linear 164 morphometrics would involve an extensive collection of measurements and a 165 generous amount of luck, as one may simply fail to measure the precise point where 166 differences between taxa occur. Furthermore, within an evolutionary framework it is

more appropriate to view form as a whole since organisms evolve as a whole. To
counter these concerns, morphometric theory progressed to what is often described as
modern morphometrics, more accurately known as geometric morphometrics.

171 Geometric morphometrics allow the study of the shape of an organism as a whole, 172 rather than as a collection of separate components. In contrast to linear 173 morphometrics, by studying all the selected landmarks of a sample together, even 174 subtle changes in geometry can be quantified and analysed using geometric 175 morphometrics. Kendall's shape definition forms the basis of geometric morphometrics 176 (Zelditch et al., 2004). This clear separation of shape from position, orientation and size 177 corresponds to an intuitive concept of shape. In practical terms, to achieve this 178 separation there is a strong analytical reliance on multivariate techniques (Klingenberg 179 & Monteiro, 2005). The way this is performed in geometric morphometrics is through the 180 use of landmark coordinates (Van Bocxlaer & Schultheiß, 2010). A landmark is a 181 recognizable point on the organism that, together with other landmarks, can be used 182 to summarise the form of the organism (Zelditch et al., 2004). As opposed to focusing 183 on distance measurements, as is done in linear morphometrics, shape is summarised 184 through the Cartesian coordinates of selected landmarks (Walker, 2000). By always 185 analysing these coordinates together in a multidimensional space, shapes can be 186 scaled, moved and rotated without losing any information (Goodall, 1991). Although 187 the selection of appropriate landmarks can be difficult, this multivariate approach 188 provides great flexibility for manipulation and statistical analysis.

189

After landmark selection, the recording of coordinates for all samples (a process
referred to as "sample digitisation") creates the initial dataset to be used for analysis.
The samples in this dataset are not, however, comparable if their coordinates have not
been standardised. This is because regardless of how carefully and methodically
digitisation occurred the samples are bound to not be fully aligned. Furthermore,

195 differences in sizes between samples will affect the position of the landmarks on the 196 Cartesian axes, confounding shape comparison. To correct for this, the samples can be 197 standardised using a Procrustes superimposition (Rohlf & Slice, 1990). Named after the 198 mythical ancient Greek bandit who trimmed or stretched his victims to fit an iron bed, 199 the process superimposes the samples using the landmarks to correct for orientation 200 and alignment (Stegmann & Gomez, 2002). It then proceeds to stretch or shrink some 201 samples aiming for all samples to be perfectly superimposed (Zelditch et al., 2004). We 202 have illustrated the steps of this process in Figure 1.

203

204 Selecting appropriate landmarks to summarise a shape is perhaps the most crucial 205 aspect of geometric morphometrics. The reason for this is that if the choice of 206 landmarks is poor, then any subsequent analysis will reflect that. Through the process of 207 landmark selection, the overall shape of the organism in question is summarised using a 208 small number of representative landmarks. Selecting representative landmarks is a 209 subjective exercise that relies on in-depth knowledge and understanding of anatomy 210 and biology of the organism in question. This is because not all landmarks are created 211 equal. A wisely chosen landmark can summarise shape appropriately and provide 212 adequate information for biological inference. A poorly selected landmark will at best 213 add high levels of noise to the dataset or, at worst, result in misleading patterns. 214 215 Ideally, landmark selection requires four criteria that ensure quality: repeatability,

consistency of position, adequacy and homology (Zelditch *et al.*, 2004). Repeatability refers to the potential of locating the selected landmark accurately on a specimen multiple times (Zelditch *et al.*, 2004). If a landmark is difficult to locate or its position is relatively vague, then samples that have no significant biological differences may be found to be different as an artefact of poor landmark choice. **Consistency of position** refers to the relative positions between landmarks (Zelditch *et al.*, 2004). If two landmarks switch relative positions between different specimens then their comparison

223 can lead to statistical outliers that may affect the findings and analyses. Adequacy 224 refers to the number and position of landmarks used to summarise a form (Zelditch et 225 al., 2004). Although more is not always better in terms of landmark selection, including 226 too few landmarks will not lead to a representative dataset. Even though repeatability 227 can be quantified, and consistency of position detected, adequacy is a harder 228 criterion to evaluate. This is because adequate coverage can be highly subjective. The 229 concept relies on finding the golden mean between oversampling the specimen 230 (where too many landmarks can lead to higher noise levels in the dataset) and 231 undersampling (losing possible detectable variation between specimens).

232

233 Homology in landmark selection has both geometric and biological aspects. Two 234 landmarks are considered homologous in two specimens if there is a degree of 235 correspondence between them. This correspondence can be purely a geometric 236 attribute (e.g. the tips of the Giza pyramids are geometrically homologous) or a 237 biological attribute (e.g. the forelimbs of bats and primates). Although all four criteria 238 are important for landmark quality, establishing homology is crucial. It is only through 239 the use of homologous landmarks that the shapes studied are truly comparable. If the 240 landmarks used are not homologous between the organisms in the study then there is 241 no logical support for their comparison and the results can be highly misleading 242 (Klingenberg, 2008). Although homology is considered one of the most crucial aspects 243 in landmark selection, exactly how it can affect a given study depends on the nature 244 and scope of the study itself. In general, the ability to identify homology can severely 245 limit the quantity of potential landmark candidates.

246

These constraints imposed by homology increase the popularity of outline methods of analysis (Macleod, 1999). By replacing homologous landmarks with regularly spaced points along a curve, outline analysis sidesteps the issue of homology and can be used in cases where landmarks are sparse or hard to define (Macleod, 1999). Outline data

251 can then be analysed using Fourier harmonics (or possible variations such as Elliptical 252 Fourier) or Eigenshape analysis (Macleod, 1999; Bonhomme & Claude, 2014). Although 253 outline analysis is a popular and successful alternative to landmark analysis, the 254 assumption that it bypasses homology issues may be misplaced. The reason for this is 255 that outline methods are not completely independent of landmark correspondence 256 assumptions (Klingenberg, 2008). That is because as with landmark methods, outline 257 coordinates require a superimposition technique, such as Procrustes superimposition, 258 prior to analysis (Bonhomme & Claude, 2014). This means that the outline points that 259 are recorded are treated as actual homologous landmarks. This may appear minor, 260 but as the superimposition process assumes a certain correspondence between points 261 on the outline, it can result in increased levels of noise in the dataset. Furthermore, 262 analytical approaches such as Elliptic Fourier Analysis also assume a certain degree of 263 homology between outline points. It can therefore be argued that the principal 264 difference between the two approaches is that in landmark analysis the homology 265 criterion is explicit whereas in outline analysis it is implied and often ignored.

266

267 The choice between linear and geometric morphometrics for an analysis is not trivial as 268 one technique is not necessarily superior to the other. Linear morphometrics are quick, 269 intuitive and cost effective and often robust enough to not introduce noise in the 270 analysis. They fail when separation of shape and size becomes important and when 271 subtle changes in morphology are crucial - this is where geometric morphometrics 272 excel. Selecting the appropriate method for the question in hand is always a 273 challenging aspect of scientific discovery, although familiarity with both methods, 274 combined with understanding of the studied organism helps when deciding which 275 technique may provide more insightful findings. As a final point, it is not always 276 necessary to choose one over the other, for example, Christodoulou et al. (2018) 277 combined linear and geometric morphometrics to describe shape differences 278 between apple cultivars with greater accuracy.

#### 279 CLASSIFICATION HYPOTHESES:

Although classification in biology has a different meaning than in machine learning (a subset of statistical learning), this collection of hypotheses relies on grouping objects based on similarities between measured characters. These can include studies of morphological similarities between geographically distinct populations, segregation between species and hybrids, or revision of taxonomic limits.

285

286 Both linear and geometric morphometrics have been used for such studies. Compton 287 and Hedderson (1997), in their taxonomic revision of the limits of Cimicifuga foetida L. 288 s.l. (now Actaea cimicifuga L.), included 17 length variables, resulting in the detection 289 of four geographically distinct species. Blanco-Dios (2007) used multivariate analysis of 290 17 linear morphometric characters to contrast the morphology of hybrid populations 291 between Armeria beirana Franco and A. pubigera (Desf.) Boiss. with that of their 292 progenitors, detecting clear differences between the groupings. Da Costa et al. (2009) 293 used distance measurements for both vegetative and reproductive parts to study the 294 variation within the Vriesea paraibica Wawra complex. After statistical analysis, they 295 proceeded to recognise four species within the complex (V. paraibica, 296 V. interrogatoria L.B.Smith, V. eltoniana E.Pereira & Ivo, and V. flava A.F. Costa, H. 297 Luther & M.G.L. Wanderley), for which they provided a taxonomic treatment. Returning 298 to the genus Actaea L., Gardner et al. (2012) used linear morphometrics to quantify the 299 variation within Actaea racemosa L., establishing that between-population variation 300 was similar to within-population variation. In a study of the Andropogon lateralis Nees 301 complex, Nagahama et al. (2014) used 19 linear morphometric measurements to 302 successfully distinguish both species and hybrids within the complex. Shipunov and 303 Bateman (2005) used geometric morphometrics to explore the diversity of lip shapes of 304 Dactylorhiza Neck. ex Nevski orchids, studying both hybridization patterns and 305 taxonomy in Russian populations. Volkova and Shipunov (2007) used similar tools to 306 investigate the variation between three Nymphaea L. species in Russia and Siberia,

307 finding the species delimitation to be robust. Viscosi et al. (2009) successfully used 308 geometric morphometrics on oak leaves to distinguish between four species. Savriama 309 et al. (2012) presented a new methodology quantifying symmetry and asymmetry of 310 corolla shape in Erysimum mediohispanicum Polatschek (now Erysimum grandiflorum 311 subsp. mediohispanicum (Polatschek) Romo), establishing symmetry to be a 312 fundamental character for floral variation within the taxon. Finally, Fernández-313 Mazuecos et al. (2013) used geometric morphometrics to study the role of flower 314 specialisation for speciation in Linaria Mill. subsect. Versicolores (Benth.) Wetst. finding 315 corolla tube differences to correlate with divergent pollination strategies. In a 316 comparison of leaf shape of Anacardium microcarpum Ducke with A. occidentale L. 317 using geometric morphometric descriptors, Vieira et al. (2014) established that 318 although the leaves do present statistically significant differences, overlap between 319 taxa and populations prevent them from being used as unique identifiers. 320 321 Analytically, methods from statistical/machine learning can offer great insight for this 322 type of hypothesis. There are two broad sections in statistical/machine learning:

323 supervised learning and unsupervised learning. We are excluding deep learning 324 methods here, as the topic is too large for an adequate description within this review 325 and the approaches are rather different. The review on the topic by Angermueller et 326 al. (2016) offers a good overview of the major issues. Furthermore, deep learning is 327 primarily aimed at processing huge amounts of multivariate data (so called 'big data'), 328 and here we are more concerned with the utilisation of relatively small datasets, often 329 with only a few data records per taxon, which is more realistic for consideration by 330 practising botanists.

331

Supervised learning focuses on using combinations of characters to circumscribe
known groups (classes) and then applying this knowledge to predict the class
membership of an unknown sample (Tarca *et al.*, 2007). This is essentially 'identification'

335 in the biological sense, if the classes represent named taxa. The classic example of 336 supervised learning is Anderson's Iris dataset analysed by Fisher using Linear 337 Discriminant Analysis (LDA) (Fisher, 1936). The original dataset contained measurements 338 from 150 flowers belonging to three Iris species (50 flowers each of I. setosa Pall. ex Link, 339 I. versicolor Thunb. and I. virginica L.), For each flower, length and width measurements 340 of two tepals (one inner, and one outer tepal), as well as species, were recorded. 341 When this dataset was analysed using LDA, discriminant functions were established for 342 each species based on the lengths and widths of the tepals. These could then be used 343 to establish the species of an unknown Iris sample using only length and width tepal 344 measurements (provided it belonged to one of the three species). The factor that 345 makes this example part of supervised learning is the prior knowledge of class 346 membership, in this case Iris species, used for the design of the discriminant functions 347 (Fogel, 2008).

348

349 Unsupervised learning, by contrast, has no prior knowledge of class membership, and 350 the analysis aims to explore patterns in the data and create natural groupings (Fogel, 351 2008). Such groupings can then be used as justification for delimitation of traditional 352 ranked taxa such as species. This is essentially 'classification' in the biological sense. 353 Cluster analysis (clustering), for example, is a case of unsupervised learning. Table 1 354 summarises a selection of both supervised and unsupervised techniques, more 355 extensive descriptions of which can be found in Appendix A.

356

Table 1 showcases botanical applications of machine learning. The combination of machine learning and morphometrics for classification has much more prominent examples outside of botany. We aim for this review to increase the uptake of these techniques in botany. In the meantime, we present some non-botanical examples here for illustration purposes. Santana et al. (2014) studied bee classification using the forewings of male members of five *Euglossa* species. This was performed by using 18

363 landmarks on the wing venation together with colour change variables, followed by 364 comparisons between classification techniques including linear discriminant analysis 365 and a modified neural network. The neural network outperformed the other classifiers, 366 with an accuracy of 87.6%. da Silva et al. (2015) used more classes than Santana et al. 367 (2014), studying 26 subspecies of Apis mellifera while still using the same 18 landmarks 368 on wing venation. Their focus was on the performance of feature selection and their 369 conclusion was that a Naïve Bayes classifier outperforms other classification techniques, 370 with 65% mean accuracy on cross-validation (da Silva et al., 2015).

371

372 Van Bocxlaer and Schultheiß's (2010) gastropod study was one of the first in zoology to 373 combine machine learning with morphometrics, their focus was primarily on comparing 374 landmark analysis with outline analysis. For their gastropod dataset they found that 375 outline analysis outperformed landmark analysis by 3%, reaching 78% accuracy when 376 using a Support Vector Machine (SVM) classification (Van Bocxlaer & Schultheiß, 2010). 377 The high success rate of the outline analysis is likely due to the presence of three-378 dimensional ornamentation on the shell surface. Also, the theory of outline methods for 379 biological shape analysis is not as robust as landmark analysis, as discussed briefly in 380 earlier sections.

381

382 Guisande et al. (2010) describe new software designed to identify fish species, using 383 Classification and Regression Trees (CARTs) and linear morphometrics. The structure of 384 the software is such that the user is required to make linear measurements on their 385 sample, following a certain protocol, and the measurements are then used to classify 386 the sample. This makes it similar to a multi-access key rather than a tool for automatic 387 identification. For multi-access keys, success rates can be established by testing the key 388 on the target audience and recording how successful was their navigation of the key. 389 Guisande et al. (2010) did not perform this test and only tested accuracy using samples 390 they had measured themselves.

391

In the field of anthropology, Velemínská et al. (2013) used semi-landmarks to study the greater sciatic notch (which is part of the pelvis bones) aiming to correctly classify the sex of the individual. Their best performing classifier was a Support Vector Machine that achieved a 92% accuracy. Instead of using a completely independent test set, the accuracy was quantified using a leave-one-out cross-validation approach on the learning set. The absence of a separate test set can lead to overestimating the accuracy of the classification as briefly discussed earlier.

399

400 The orthodontics paper by Yu et al. (2014) is based on the unusual premise of 401 predicting attractiveness on malocclusion patients (patients with misaligned teeth). By 402 using 101 landmarks on patient images combined with a Support Vector Machine, they 403 achieved an accuracy of attractiveness prediction of 72%. This work is interesting 404 because it is the only example in the literature where geometric morphometrics have 405 been combined with the regression approaches of statistical learning, rather than the 406 classification ones. This is because the attractiveness measure used was based on a 407 (subjective) score from 69 orthodontics experts, therefore the prediction was a 408 continuous measurement rather than a class.

409

#### 410 Model evaluation

411 There is a large collection of classification techniques available for biological analysis 412 and selecting the most appropriate technique is not trivial. The reason for this is that 413 there is no single classification technique that consistently outperforms all others 414 regardless of the dataset studied. In machine learning this concept is referred to as the 415 "No free lunch" Theorem. Stated formally by Wolpert and Macready (1997), the 416 theorem suggests that the performance of all classifiers is equal when the totality of 417 possible problems is considered. This means that for every classifier available there exists 418 a possible problem where that classifier outperforms every other classifier. In practical

419 terms, this makes selecting a classifier for a study harder as the only way to establish the 420 appropriateness of the technique is after the training of the classifier. Due to this, the 421 most common approach to classification problems is to train a variety of different 422 classifiers and then select the one that performs best (Fogel, 2008). This strategy makes 423 performance evaluation the focus of the classification analysis. To this extent a series of 424 metrics have been proposed in the literature, summarised in Table 2.

425

All the metrics presented in Table 2 rely on describing classification success through the use of a set of samples, however selecting the set that is used is not straightforward. In most biological situations there is a limited amount of data available for study, making each individual sample valuable to the study. With a limited dataset, therefore, the decision on the appropriate "spending" of the data is not an easy one to make. This makes pilot studies that can inform power analyses (to estimate appropriate sample sizes) a crucial aspect of experimental design (McDonald, 2014).

433

434 There are three stages in machine learning that require data: training, validating and 435 testing (Olden, Lawler, & Poff, 2008). During the first stage the classifier is primarily 436 trained to the problem in question. If the whole dataset is used at this stage then it will 437 have to be re-used for both validating and testing, leading to potential overfitting and 438 unrealistically high performance metrics (Olden et al., 2008). This is because the 439 classifier would have knowledge of the full dataset at the training stage, therefore when validating occurs (which is the process that verifies that appropriate tuning 440 441 parameters have been selected during training), overfitting is more likely as none of the 442 validating samples will be new. When the classifier is then tested using known samples, 443 the performance will appear improved due to this overfitting effect. The peril from this is 444 that when the classifier is applied to truly unknown samples, the confidence in the 445 resulting class could be misplaced. To avoid this, common practice involves partitioning 446 the initial dataset to a training set (including a validation set) and a testing set. In this

case the testing set is used solely for establishing the final, unbiased, performance of
the classifier (Olden *et al.*, 2008). As this partition reduces the data available for training
and validating, partitioning the training dataset further may not be realistic as an
inappropriately small training set will create an inappropriate and untrustworthy
classifier.

452

453 In order to reduce overfitting during the validating process, cross-validation (CV) can 454 be used instead. In cross-validation the training dataset is partitioned, creating a 455 training set (in the strict sense) and a validation set (Olden et al., 2008). Training 456 commences and is terminated when the performance with respect to the validation 457 set begins to reduce. The validation set is thus used as a dummy 'test' set. After the 458 classifier is trained and validated the two datasets are re-combined and re-partitioned 459 creating a new training and validation dataset. The learning process is repeated again 460 from the start until either a predefined number of data partitions, or all possible data 461 partitions, have been used for training. In biological applications of machine learning, 462 multifold (K-fold) cross-validation is commonly used to help avoid overfitting (Olden et 463 al., 2008). During that process the training dataset is partitioned into K equal sets, with K-464 1 of these recombined to create the training set and the last one used to validate. This 465 process is repeated K times for all possible (or sensible) combinations of training and 466 validation sets. More recently this technique has been slightly modified to include 467 further repetitions; for example, in M repetitions of K-fold cross-validation the process of 468 K-fold cross-validation already described is repeated M times. An example using two 469 repetitions of 5-fold cross-validation is illustrated in Figure 2.

470

Throughout this paper, we have explained and illustrated the many strengths of
morphometric study including the ability to train and evaluate a system, to conduct
power analysis on trial data sets to help decide on appropriate sample sizes and the
crucial element of reproducible measurement. Morphometric approaches can offer to

475	build strong and reproducible systems of classification and these can be combined
476	with DNA derived data to give a holistic synthesis that might improve the stability and
477	decrease the subjectivity of plant classification, especially at the species level. In short,
478	when botanists and horticulturalists catch up with other disciplines we expect to see
479	use of morphological data in the construction of more robust botanical classification
480	systems.

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